

*Institut d'Analyse et Calcul Scientifique (IACS)  
Section Mathématiques*

**SEMINAIRE D'ANALYSE**

➤ **MARDI 28 avril 2009 à 16h15 à la salle MA A112**

Monsieur **Lucio BOCCARDO** (Université de Rome, Italie) donnera une conférence sur le thème:

**"A CALDERON-ZYGMUND THEORY FOR FINITE AND  
INFINITE ENERGY MINIMA OF SOME INTEGRAL  
FUNCTIONALS"**

For linear Dirichlet problems in  $\Omega$ , bounded subset of  $\mathbb{R}^N$ ,  $N > 2$ ,  
with right hand side and bounded elliptic matrix  $M(x)$

$$(1) \quad \begin{cases} -\operatorname{div}(M(x)Du) = f(x) & \text{in } \Omega, \\ u = 0 & \text{on } \partial\Omega. \end{cases}$$

- G. Stampacchia proved summability results on  $u \in W_0^{1,2}(\Omega)$ ,  
if  $f(x) \in L^m(\Omega)$  or  $f(x) \in M^m(\Omega)$  (Marcinkiewicz space),  
 $2N/(N+2) < m$ .
- The case  $1 \leq m \leq 2N/(N+2)$ , infinite energy solutions for  
nonlinear operators, is studied in papers by B-Gallouet and B  
(nonlinear Calderon-Zygmund theory).

What about the minima of integral functionals?

The first two cases are due to G. Stampacchia and B-Giachetti: the  
last ones (infinite energy minima) to B.

Lausanne, le 31 mars 2009  
BD/VL